

The Bridge to A level

Test Yourself Mark Scheme





Section	Question	Answer	Marks	Notes	
1	1	x = ± 3	M2	Use of quadratic formula (M1)	
				in x ² (M1)	
			M1	x ² = 9	
			A1	сао	
	2(i)	$4(x-3)^2 - 9$	B1	a = 4	
			B1	b = 3	
			M1A1	c = -9	
	2(ii)	(3,-9)	B2	B1 for each coordinate	
2	1	[1] 2s	B3	B2 for t omitted	
		$t = [\pm] \sqrt{-0.6}$		M1 for constructive first step	
				M1 for finding square root of their 't ² '	
	2		M1	for 3x + mx = y + 5y oe	
		$[x=]\frac{6y}{1}$ as final answer	M1	for x(3 + m) or ft sign error	
		3+m	A1		
	2		N / 1	for multiplying by y 2	
	3	1^{2y+3}		for eveneding by X-2	
		$[x=]\frac{v}{v-1}$ o.e. or ft			
		.v - 1		for cliecting x and other terms	
			IVIT	for factorising and dividing	
				Award all four marks only if fully correct	
2	1	7 24	D2	P2 for one coordinate correct or correct	
5		$X = \frac{11}{11}$ $Y = \frac{11}{11}$ OE WWW	5	solution not orvprossed as soordinates	
				(or) M1 for substitution or elimination of	
	2	2 – 2	N/1	Equating $5x = 2$ and $2x \pm 18$ and	
	2	a - 3	IVIT	$\frac{1}{2} = \frac{1}{2} = \frac{1}$	
		0 - 52	A1A1	substituting x = 7	
	2	x = -0.5 or 1	M1	for $7_3 x = 2(x^2 - 2x + 3)$ of	
	5	x = 4.35 or 2		for quadratic in $x (2x^2 - x - 1 - 0.00)$	
		y = 4.23 01 2			
			Α1 Δ1		
			AI	<u>у</u>	
4	1(i)	31/6	M1	for $\sqrt{4r6}$ of seen	
	-(')	5,0	A1		
	1(ii)	$10 + 2\sqrt{7}$	M1	for attempt to multiply num and denom	
	=\)			by $5 \pm \sqrt{7}$	
			M1	for 18 or $25 - 7$ seen	
			A1		
	2(i)	2816	M1	for $30\sqrt{6}$ or $2\sqrt{6}$ or	
	-(')		A1		
	2(ii)	$49 - 12\sqrt{5}$	B2	for 49	
			B1	for $12\sqrt{5}$	
				If RO award M1 for 2 correct torms of 4	
				ον 5- ον 5 + 45	



				Fartiers in excellence
5	1(i)	9	M1	for 3 ² oe
			A1	
	1(ii)	8 (condone -8 or ±8)	M1	for 16 ^{0.25} = 2
			A1	
	2(i)	4x ⁴ y	M1	for two elements correct
			A1	
	2(ii)	32	M1	for 2 ⁵ oe
			A1	
	3	4	B1	numerator
		27	B1	denominator
6	1	Grad of AB = -3	B1	either gradient
		Grad of BC = $\frac{1}{2}$		
		$\frac{3}{3}$	B1	product of gradients need to equal -1
	2	product of gradients = -1	D1	
	2	(3,0)		fory - Ay Lo
	3	Coordinates (0,2) (0.5,0)		for $y = -4x + c$
			IVII	for $y = -4x + 14$
	4	2 7	AIAI	one mark for each set of coordinates
	4	y = 3x - 7	M1	Gradient = 3
			M1	Subst in (4,5) into their 'y = mx + c'
			A1	
_	-			
7	1	Cubic the correct way up	G1	
		x-axis cuts at -1, 2, 4 shown	G1	
		y-axis cuts at 8 shown	G1	
	2	Sketch of cubic correct way up	G1	
		Curve through (0,0)	G1	
		Curve touches x-axis at x=3	G1	
	3	Correct graph with clear	G2	(G1 for only one branch correct0
		asymptote at x = 2		
		(0, -0.5) shown	G1	
	4	10	B1	
8	1	$y = x^2 - 8x + 5$	B1	
	2	$f(x-3) = (x-3)^3 - 5(x-3) + 2$	B1	Substitution
		$(x^2 - 6x + 9)(x - 3)$	B1	Partial expansion of cubic term
		$f(x-3) = x^3 - 3x^2 - 6x^2 + 18x +$		
		9x – 27 – 5x + 15 + 2	A1	All correct unsimplified
		$= x^3 - 9x^2 + 22x - 10$	B1	Correct consolidation
	3	$f(x-4) = 2(x-4)^3 + 7(x-4)^2 - 7(x-4)$	M1	Substitution
		- 12		
			M1	Correct expansion of one pair of brackets
		$2x^3 - 17x^2 + 33x$	M1	correct completion to given answer
	4	(x + 1 - 3)(x - 2 - 3)(x - 4 - 3)	M1	Allow one slip
		ie $(x-2)(x-5)(x-7)$	A1	Oe

9	1	Tan 42° = $\frac{opp}{adi}$	M1	
		$0.9004 = \frac{height of pole}{height of pole}$		
		15 12 E(06) m = height of hole	M1	
	2	$\sqrt{13}$	AI B3	$\sqrt{13}$ $\sqrt{13}$
	2	$\pm \frac{\sqrt{15}}{4}$	5	B2 for either - $\frac{\sqrt{15}}{4}$ or $\frac{\sqrt{15}}{4}$ or ±
				$\frac{\sqrt{13}}{\sqrt{16}}$ oe
				or M1 for $\sqrt{13}$ seen
	3	(0, 0)	B1	
		(90,1)	B1	
		(270, -1)	B1	
		(360, 0)	B1	
10	1(i)	C = 141.1	N/1	Correct attempt at cosine rule
10	T(I)	C = 141.1		Correct full method for C
		Bearing = 038. 8 (accept 038.9)		
			Δ1	Bearing
	1(ii)	3030 to 3050 acceptable	M1	Correct use of 0 5xaxbxsinC
	-()		A1	
	2		M1	Correct use of sine rule
		AB = 7.80 (or better, 7.799)	A1	АВ
			M1	2 x 0.5 x 'their AB' x 11.4 x sin
		Area = 52.2 to 52.3	A1	36
				Area
11	1	(x-6)(x+3) < 0	M1	Factorise
		Critical values $x = 6$ and $x = -3$	M1	Solve for x
	2	-3 < x < 6	A1	Deduce correct range
	2	(x-4)(x+1) > 0	M1	Factorise
		Critical values $x = 4$ and $x = -1$		Solve for X
	2	x < 4 and x > 1 $3r^2 \pm 6r = 90 < 0$	AI M1	Construct equation
	5	(x+6)(x-5) < 0	M1	Factorise
		-6 < x < 5	M1	Deduce correct range
		x positive integer 0 <x<5< th=""><th>A1</th><th>Correct interpretation of values</th></x<5<>	A1	Correct interpretation of values
12	1a	2n = multiple of 2 = even therefore	A1	
		2n+1 must be odd		
	1b	= 4mn + 2n + 2m + 1	M1	Expand and simplify brackets
		= 2 (2mn + n + m) + 1	M1	Factorise
		2 (2mn + n + m) must be even	M1	Explain why bracket is even
		2 (2mn + n + m) + 1 must be odd	A1	Deduce result must be odd
		because the bracket is even.		
	2a	n + (n+1) + (n+2) + (n+3) = 4n+6	M1	Represent numbers algebraically



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		=2(2n+3)	M1	Factorise
		which is a multiple of 2 and therefore even	A1	Conclusion with reason
		· ·		
		One example of many = 12+13+14+15 = 54		
		which is even though not divisible by 4		
		(2)		
	2b	12+13+14+15 = 54	M1	Example
		which is even though not divisible by 4	A1	lustification
			7.1	
1.0				
13	1a)	CB = 2b - 2a	M1	Find CB
		\overrightarrow{CN} 4 (1 - 1)		
		$CN = \frac{1}{5}(b-a)$	A1	Find CN
		$\overrightarrow{MN} - \overrightarrow{MC} + \overrightarrow{CN}$		
		$\begin{array}{c} M N = M C + C N \\ 4 + 1 \end{array}$	N/1	Find MAN
		$=\frac{1}{5}b-\frac{1}{5}a$		
			Al	Given in simplest form
	1b)	$\overrightarrow{MN} = 4 \ b 1 \ a \neq b$	۸1	lustification relating to parallel
	10)	$\frac{1}{5} m N = \frac{1}{5} u = \frac{1}{5} u \neq \frac{1}{5} u = $	AI	
		xb for any value of x and so the lines are not parallel		vectors being a multiple of one
				another
	2a	BC = -4h + 8a or 4(2a - b) oe	B1	
	24		DI	
	21	1		
	20	$AQ = -4a + 4b + \frac{1}{2}(-4b + 8a)$	IVIT	
		$AO = \frac{4}{2} + \frac{8}{2} + \frac{2}{2} (4b - 2a) = 0$	A1	
		$AQ = -\frac{1}{3}a + \frac{1}{3}b + \frac{1}{3}b + \frac{1}{3}a + 1$		
	3		M1	Vector from diagram
		$a^2 = 25 + 64$	A1	Use of pythagoras
		$ a - \sqrt{89} - 9.43$		
		$ u = \sqrt{0} = 3.15$		
14	1	$TVV = \frac{5}{2}x + \frac{4}{2}x + \frac{3}{2} = \frac{5}{12}$	M1	Correct outcomes chosen
		9 8 7 42	M1	Multiplying each probability
		4 5 3 5		
		$VTV = \frac{4}{9} \times \frac{3}{8} \times \frac{3}{7} = \frac{3}{42}$		
		5 0 / 42		
		$VVI - \frac{1}{9} \times \frac{1}{8} \times \frac{1}{7} = \frac{1}{42}$		
		$1000(-\frac{4}{3}\times\frac{3}{2}\times\frac{2}{2}-\frac{1}{2})$		
		$v v v - \frac{1}{9} x - \frac{1}{8} x - \frac{1}{7} = \frac{1}{21}$		
			N/1	Adding their probabilities
		$P(more vegetable) = \frac{17}{2}$		Correct colution
		42	AT	Correct solution
	2a	25, 10, 13, 2	M1	At least 2 correct
			A1	All correct
L	I			



	2bi	25+13	M1	Addition of "their 25 and 13"
		19/25 00	۸1	seen
	li	13+2	M1	Addition of "their 2 and 13"
				seen
		13/15 oe	A1	
15	1a	50 x 0.7 = (35)	M1	M1 for at least one calculation
		30 x 2.167 = (65)	A1	A1 both correct
	1b	(181 + 1)/2 = 91	M1	Calculation for where median
		First three bars = 80, need 11 more for		will lie
		median.		
		11/2.2 = 5	M1	
		70 + 5 = 75 cms	A1	
	2a	21, 36 and 51 indicated with box	M1	
		0 and 103 indicated	M1	
		Correct plot	A1	
	b	1 comment each regarding		Median has incresed showing
		Median	A1	(statement)
		IQR	A1	IQR has increased showing
				(statement)